

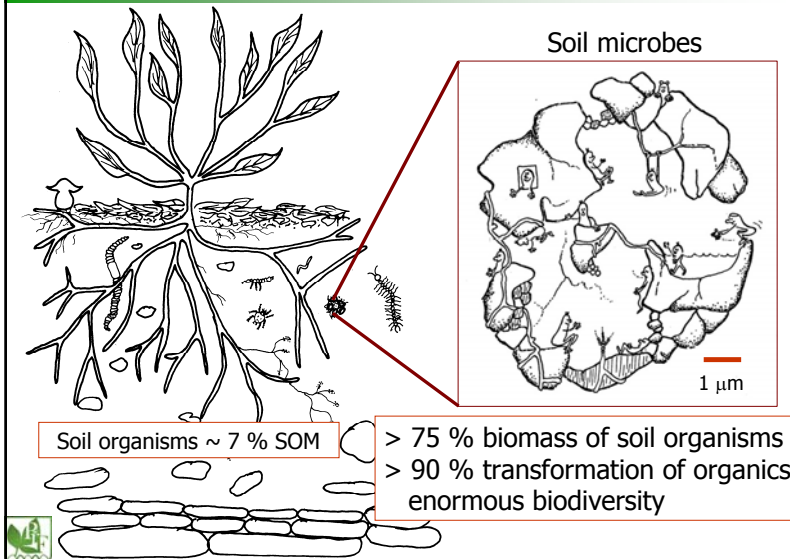
Soil respiration & stable isotope (^{13}C) fractionation

Hana Šantrůčková

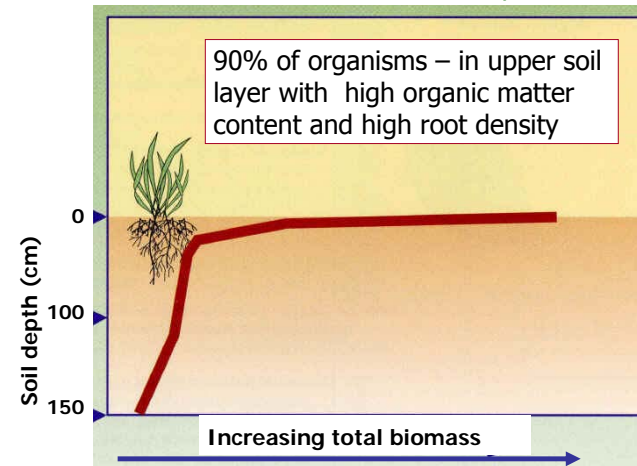
University of South Bohemia in České Budějovice,
Faculty of Science,
Department of Ecosystem Biology
České Budějovice, Czech Republic
hana.santruckova@prf.jcu.cz



Most of them are heterotrophs – they consume plant debris, use nutrients and carbon for building body and part of them return back to the cycling

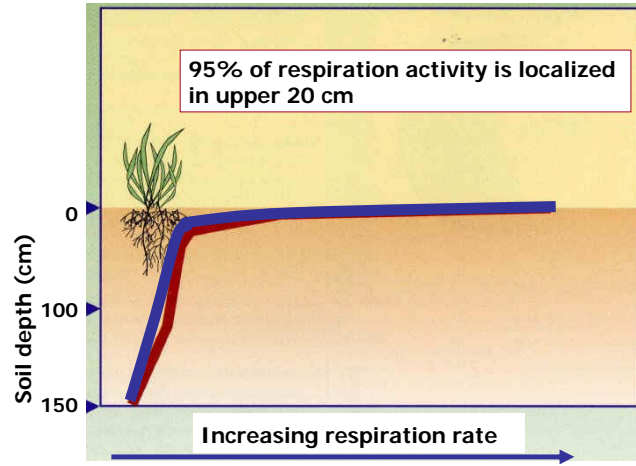


In upper part of soil profile
biomass of soil biota decreases with depth

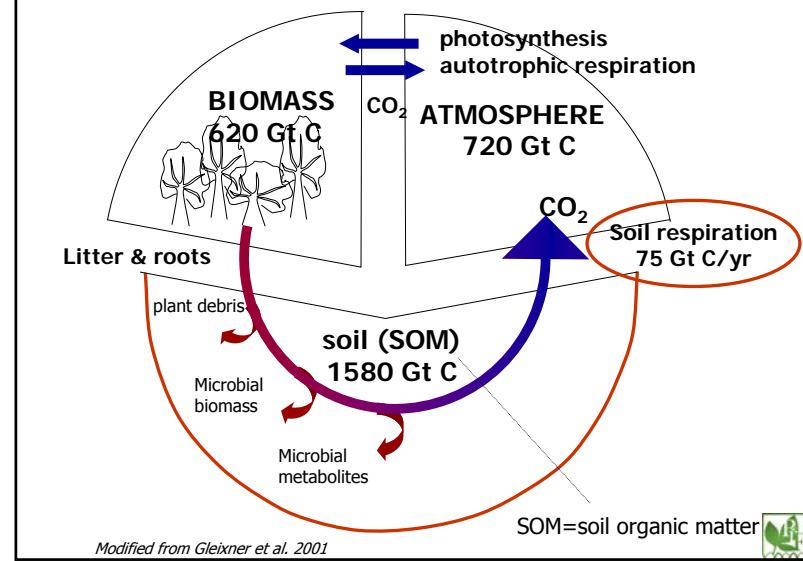


where does respiration come from?

In upper part of soil profile
Heterotrophic respiration decreases with depth



Major processes, pools and fluxes in terrestrial ecosystem



total soil respiration

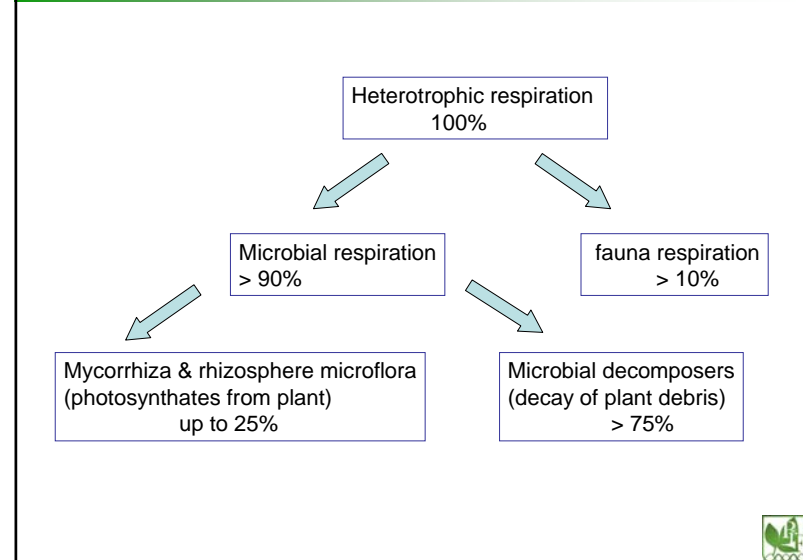
Soil respiration = autotrophic + heterotrophic
(roots) (organisms)
Close correlation to net primary production ($r^2=0,87$; Raich & Schlesinger 1992)

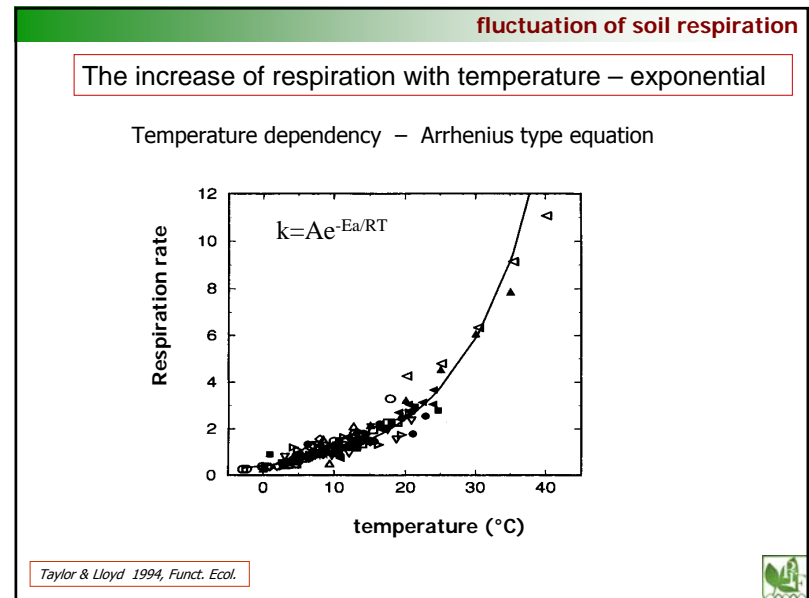
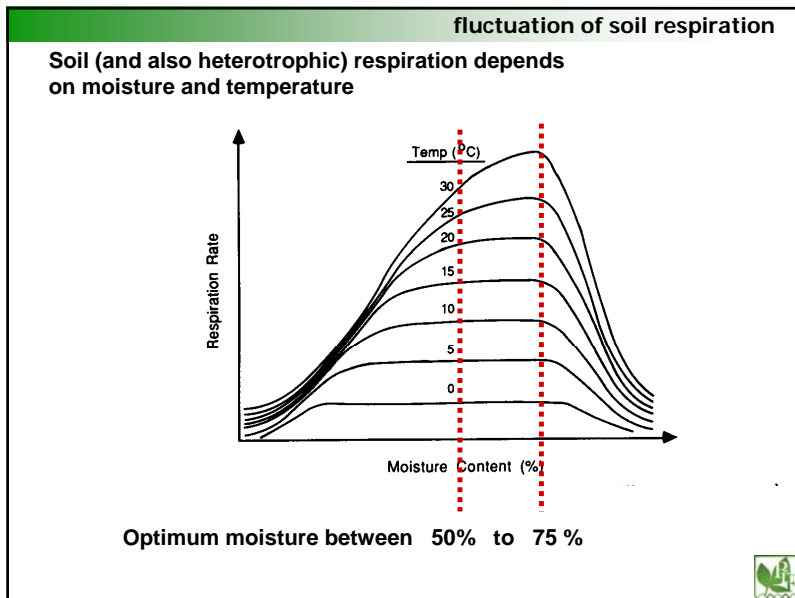
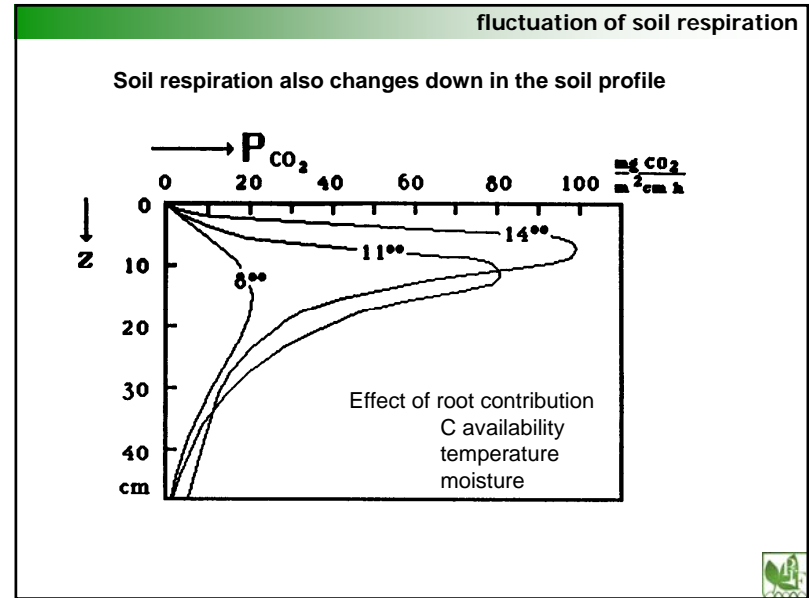
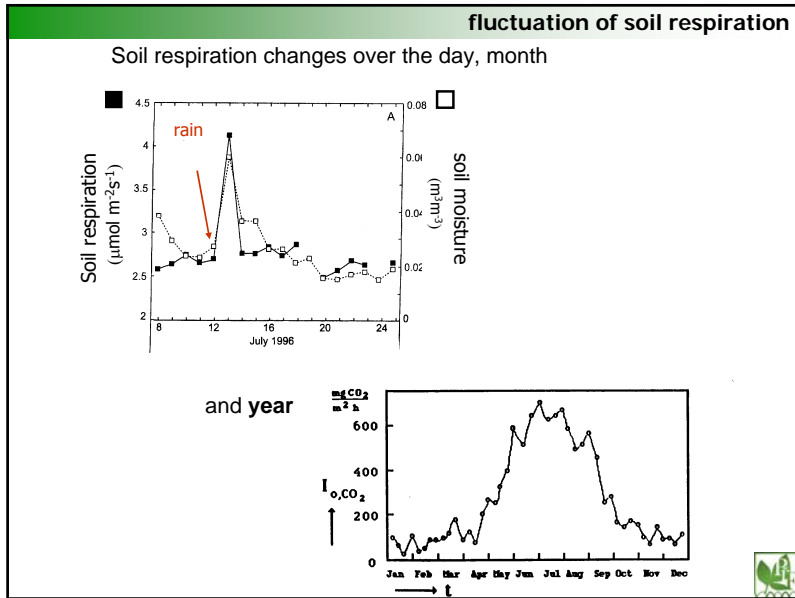
Heterotrophic to total respiration: 40-60%

Hogberg et al. 2001, Nature



Contribution of soil organisms to respiration





what to keep in mind

Stable isotope measurement is a tool for studying of various processes, partitioning, sequestration



The natural abundance of stable isotopes is used as a tracer



The natural abundance of stable isotope can be used as a tracer only for those sources that differ substantially in isotopic signal

The discrimination is of importance only when the source is not limiting



what to remember

Source = substrate $\xrightarrow{\text{flux}}$ Sink = product

The basic terms:

1. fractionation factor = α
(its deviation from unity indicates isotopic fractionation)

2. fractionation factor expressed on δ scale:

$$\Delta = 1000(\alpha - 1)$$

$\Delta (\epsilon) > 0$ sink will be depleted compared source

$\Delta (\epsilon) < 0$ sink will be enriched compared source

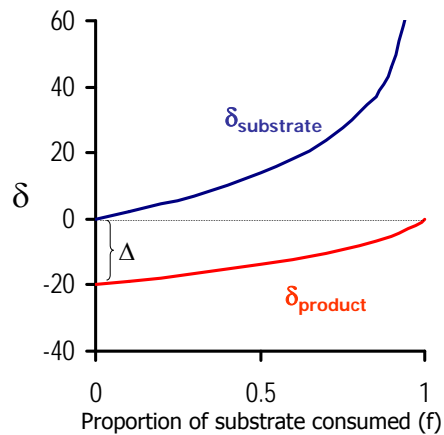
Two basic models which is good to know:

1. Kinetic fractionation model (Rayleigh model)
2. Mixing model



kinetic fractionation model -Rayleigh model

$\Delta = 20\%$,
 $\delta_{\text{substrate}} = 0\%$



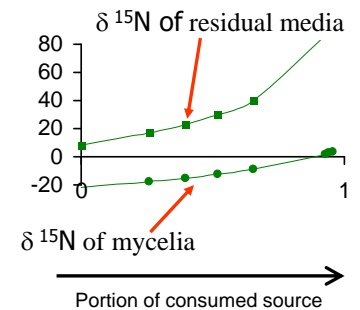
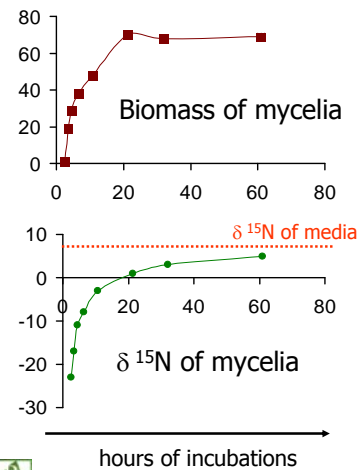
The isotopic signal of the accumulated product (δ_p) is described by:

$$\delta_p = \delta_0 + ((\Delta(1-f) \ln(1-f))/f)$$



Exam of kinetic effect- ^{15}N discrimination in fungal metabolism

Basidiomycetes grown in a closed system



$\Delta = 25\%$



Henn et al. 2004

isotope mixing

Mixing models

steady state models, open system, source is in excess

mass balance

$$M_{SOURCE} = M_{SINK(1)} + M_{SINK(2)}$$

Isotopic mass balance (isobalance)

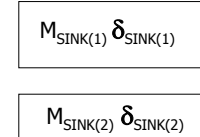
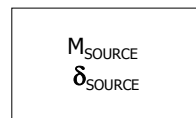
$$M_{SOURCE} \delta_{SOURCE} = M_{SINK(1)} \delta_{SINK(1)} + M_{SINK(2)} \delta_{SINK(2)}$$



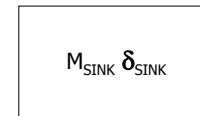
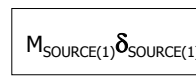
two component mixing model

source

sink



$$M_{SOURCE} \delta_{SOURCE} = M_{SINK(1)} \delta_{SINK(1)} + M_{SINK(2)} \delta_{SINK(2)}$$



$$M_{SOURCE(1)} \delta_{SOURCE(1)} + M_{SOURCE(2)} \delta_{SOURCE(2)} = M_{SINK} \delta_{SINK}$$



Special application of the two component mixing model

Keeling plot – mass (concentration) of one source is unchanging but mass of the other source can change

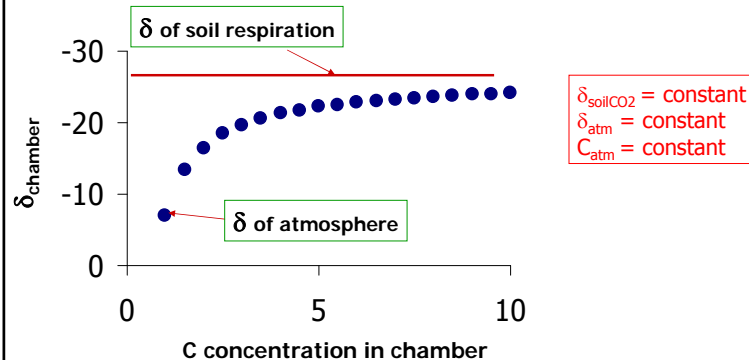


$$M_{SOURCE(1)} \delta_{SOURCE(1)} + M_{SOURCE(2)} \delta_{SOURCE(2)} = M_{SINK} \delta_{SINK}$$

$$C_{soil\ CO_2} \delta_{soil\ CO_2} + C_{atm} \delta_{atm} = C_{chamber} \delta_{chamber}$$

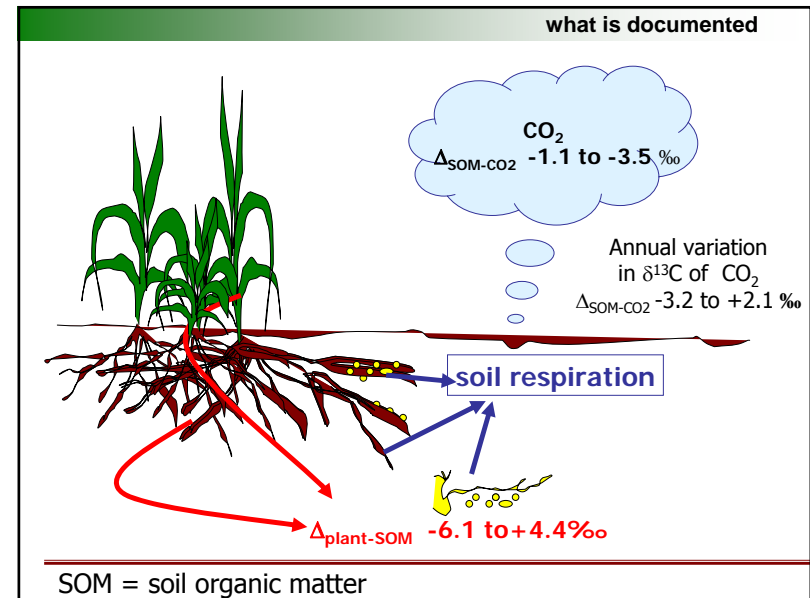
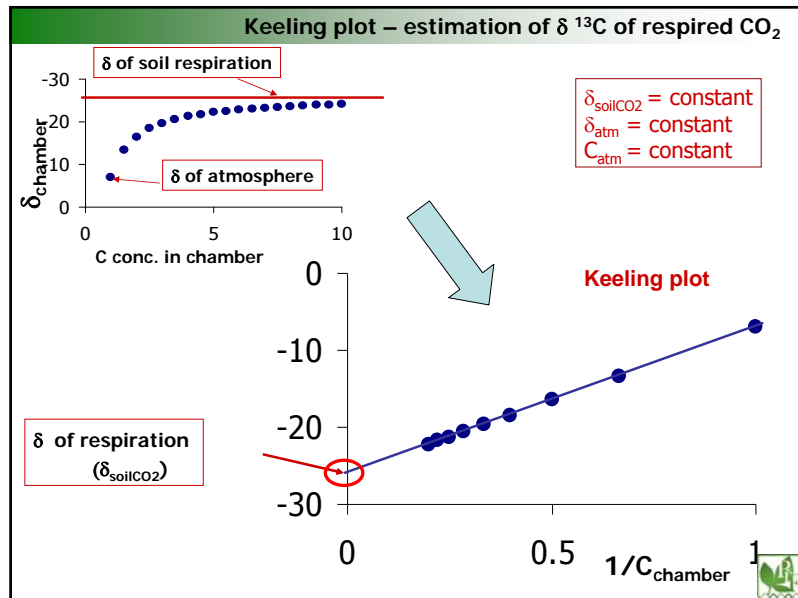
$\delta_{soilCO_2} = \text{constant}$
 $\delta_{atm} = \text{constant}$
 $C_{atm} = \text{constant}$

Keeling plot



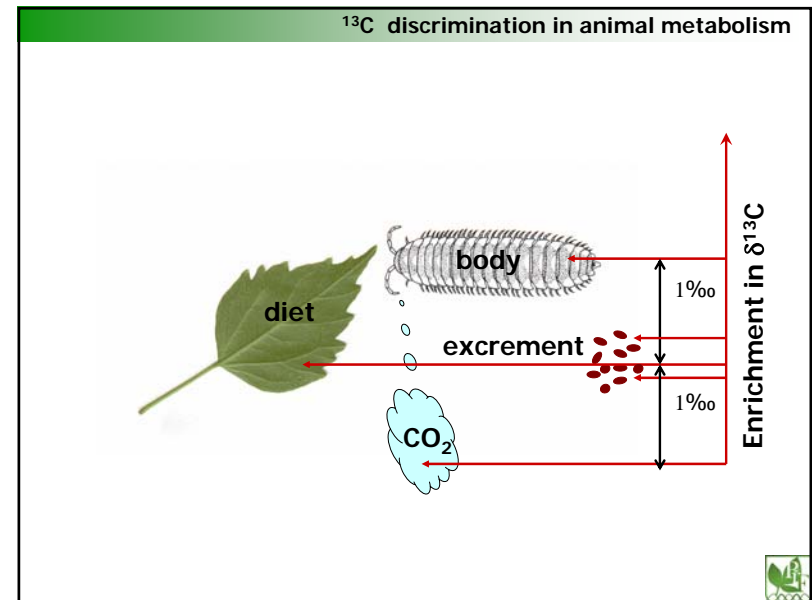
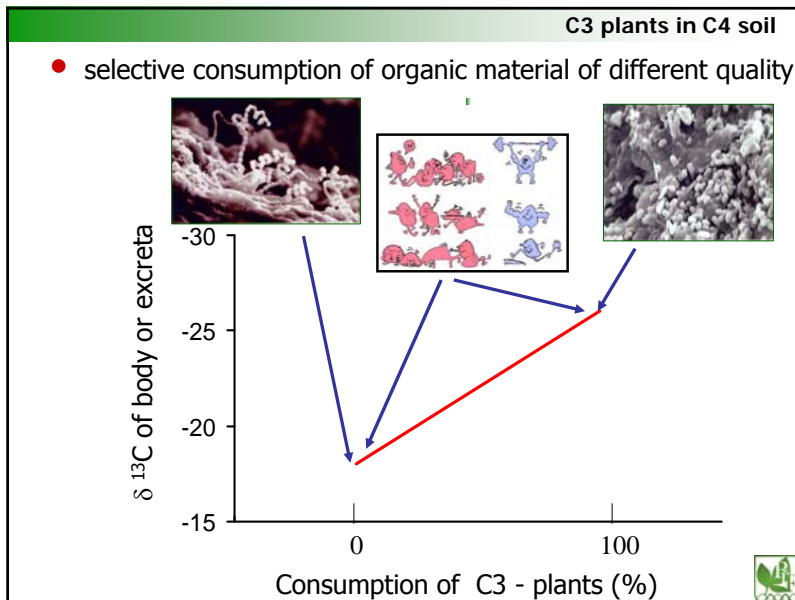
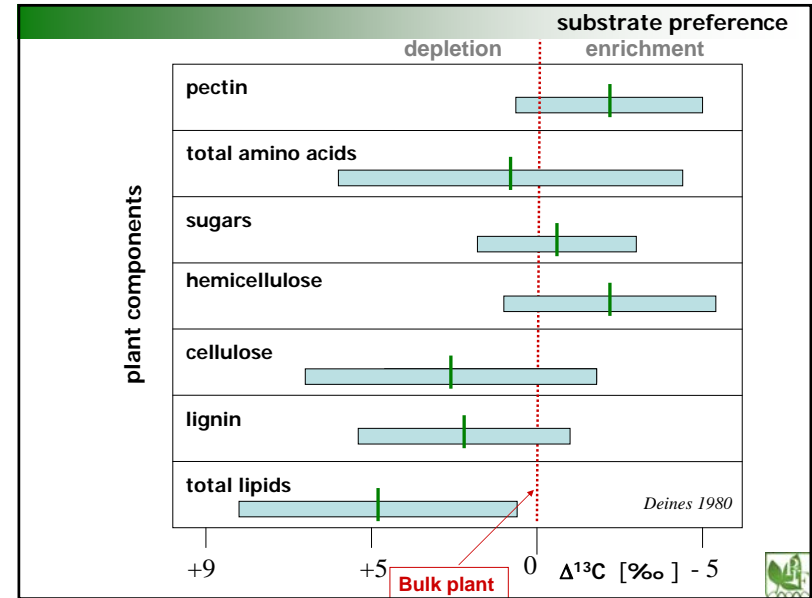
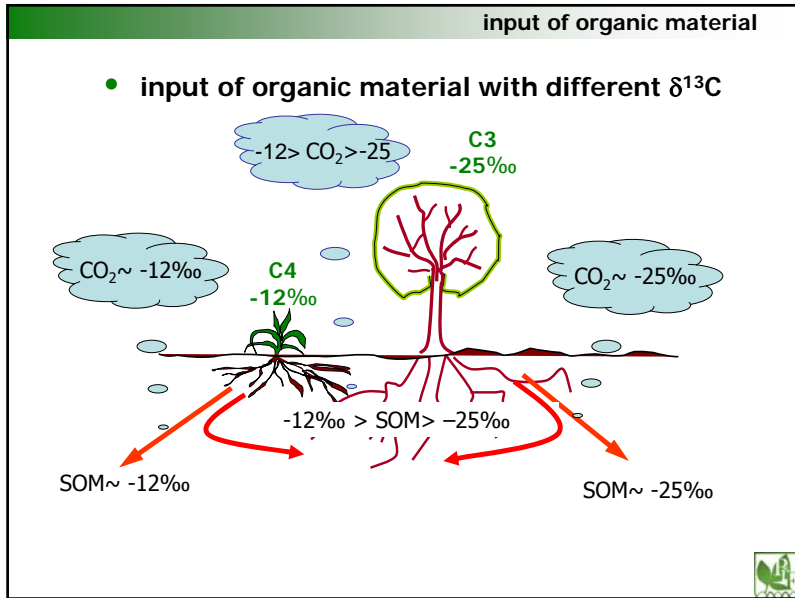
$$\delta_{soil} = [(\delta_{cham} * C_{cham}) - (\delta_{atm} * C_{atm})] / C_{soil}$$





- ### the shift in $\delta^{13}\text{C}$ of CO_2
- What is the explanation?**
- physico-chemical phenomena in soil
 - input of organic material with different $\delta^{13}\text{C}$
 - fractionation associated with metabolism of soil biota that results of different processes:
 - selective consumption of substrates
 - metabolic discrimination (internal processing)
- !!!! Heterotrophic metabolism never brings isotopic shift which would be comparable with isotopic effect of photosynthesis!!!!

- ### physico-chemical properties
- physico-chemical phenomena in soil
- diffusion $\Delta \sim 4\text{‰}$
- equilibrium system $\text{CO}_2(\text{g}) \rightarrow \text{HCO}_3^- \sim \Delta 9\text{‰} (20^\circ\text{C})$
- equilibrium syst. $\text{CO}_2(\text{g}) \rightarrow \text{solid carbonate} \sim \Delta 10 \text{ ‰} (20^\circ\text{C})$



¹³C discrimination in microbial metabolism

obviously in soil

SOM

→

Cell

CO₂

$\Delta_{\text{cell-CO}_2} = + 2 \text{ ‰}$

$\Delta_{\text{SOM-CO}_2} = 0 \text{ ‰}$

$\Delta_{\text{SOM-cell}} = - 2 \text{ ‰}$

If one product becomes depleted in the heavier isotope, the other products must be enriched.

Important note: there might exist discrimination caused by microbial metabolism in soil, but for the sake of simplicity, it is often neglected

what was measured – world ecosystems

Australian transect

Canadian transect

Figure 1 Location of the areas sampled.

$C_{\text{tot}}, \delta^{13}\text{C}_{\text{tot}}$

$C_{\text{CO}_2}, \delta^{13}\text{C}_{\text{CO}_2}$

$C_{\text{MICROBIAL BIOMASS}}, \delta^{13}\text{C}_{\text{MICROBIAL BIOMASS}}$

Santruckova et al. 2000, Bird et al. 2002

what was measured – world ecosystems

δ¹³C of microbial biomass and respiration reflected isotopic signal of SOM:

- microbial biomass - enriched, Δ = - 2 ‰ (in average)
- CO₂ - similar δ¹³C as SOM

what can heavier microbial biomass bring about?

Enrichment of soil organic matter

- The older the soil is, the more ¹³C enriched the soil becomes
- δ¹³C of soil increases down in soil profile

Bird et al. 2001

Thanks for your attention !



Holy S